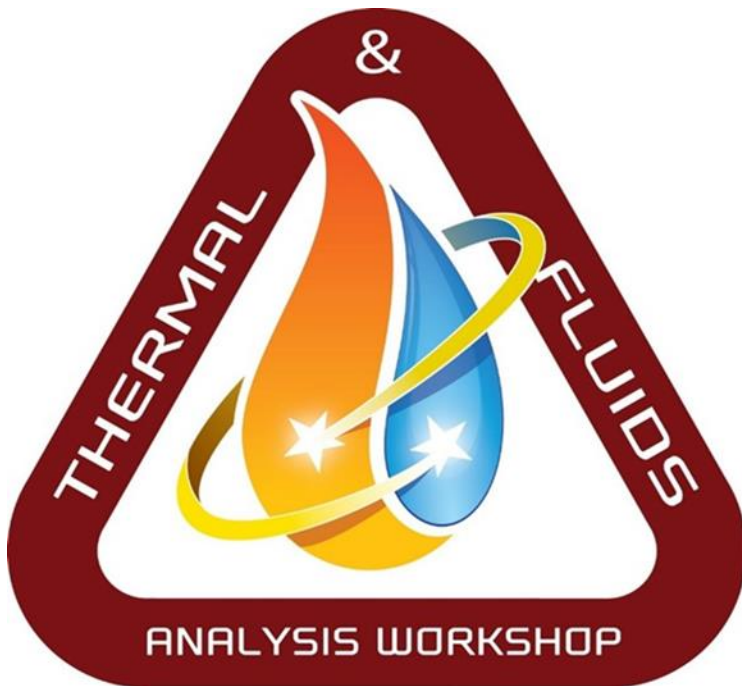


MULTI-PHYSICS MODELING OF **3D BIOPRINTING OF PCL** **SCAFFOLDS FOR IN-SPACE** **ADDITIVE MANUFACTURING**

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Thermal & Fluids Analysis Workshop
TFAWS 2023
August 21-25, 2023
NASA Goddard Space Flight Center
College Park, MD

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- Conclusion ← ●
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Ph.D. Research Advisors:

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Research Interests:

- Computational Mechanics
- In-Space FDM modeling
- Multi-scale and Multi-physics modeling techniques

Research Projects: 2020-2023

- ❖ Microgravity modeling for polymers extrusion 3D printing.
- ❖ Multi-phase materials modeling for composites 3D printing.
- ❖ Multi-physics process modeling for metals 3D printing.
- ❖ Residual Stress and thermal distortion modeling.

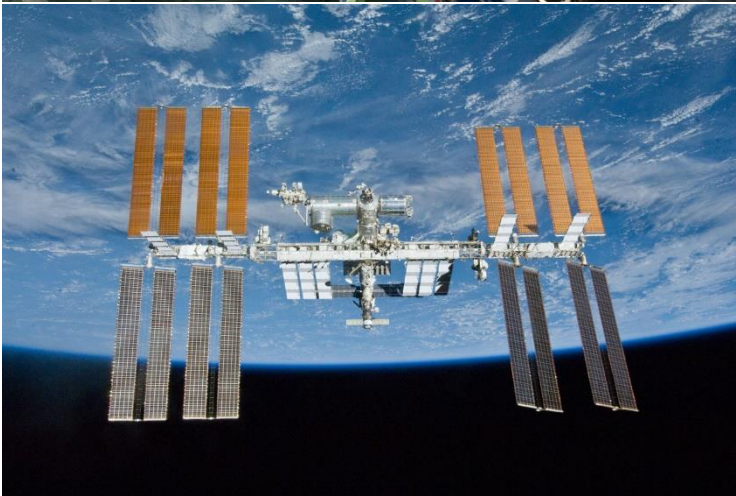




The International Space Station has continuously been home to astronauts for long-duration space scientific research and study.

This logistics support system works well for a spacecraft that is orbiting 250 miles above Earth. **However**, it is not practical to supply anything needed like the Earth.

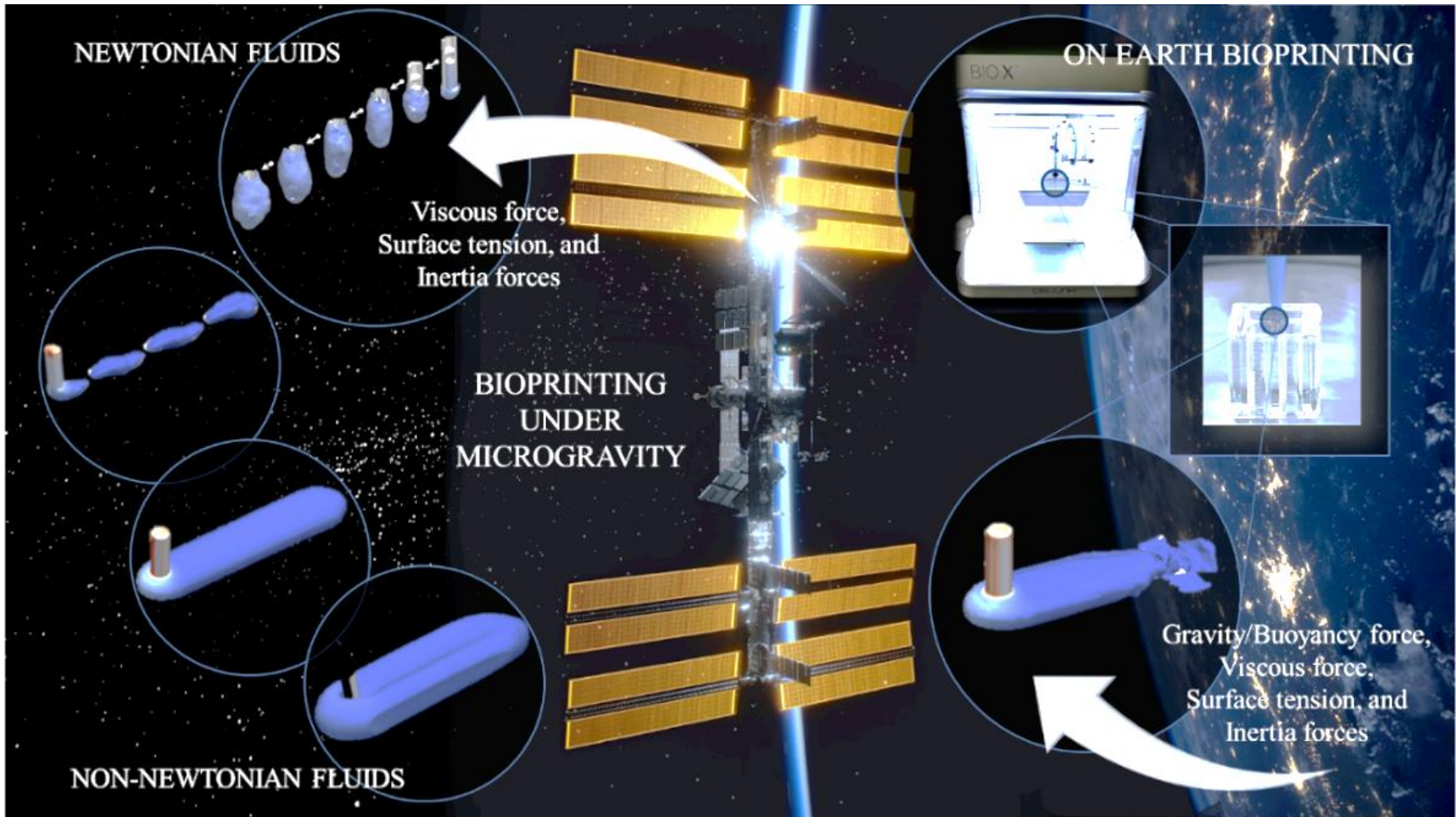
Astronauts on these long voyages need to be able to make their own spare parts, tools, and materials essentially on demand – both for routine needs and to adapt quickly to unforeseen ones.



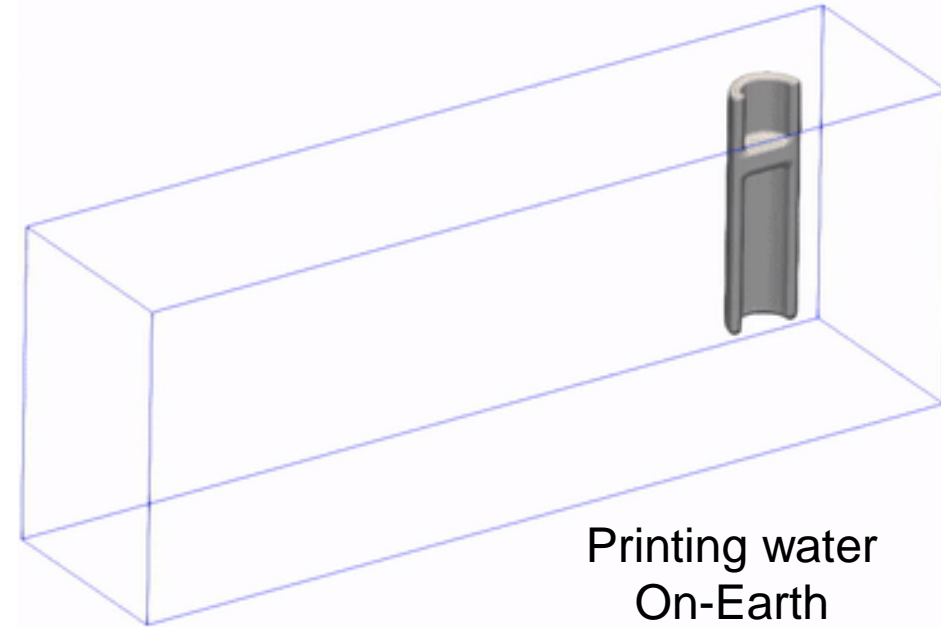
In-Space 3D printing technology could be an ANSWER.

FUSED DEPOSITION MODELING

is being acquired with good application in the International Space Station.



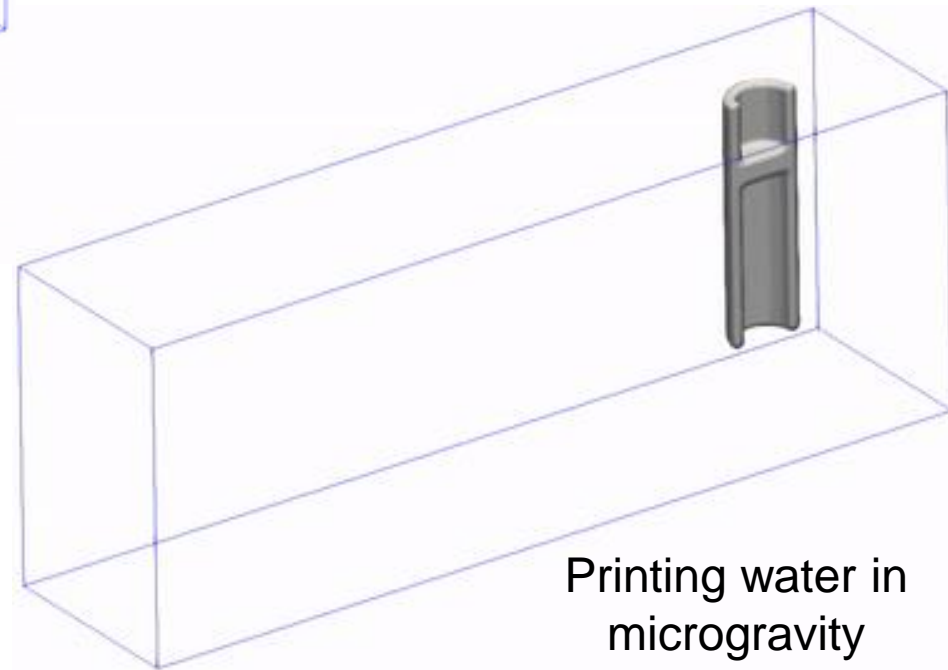
Newtonian Fluid : Water On-Earth v/s Microgravity



Printing water
On-Earth

3D printing parameters:

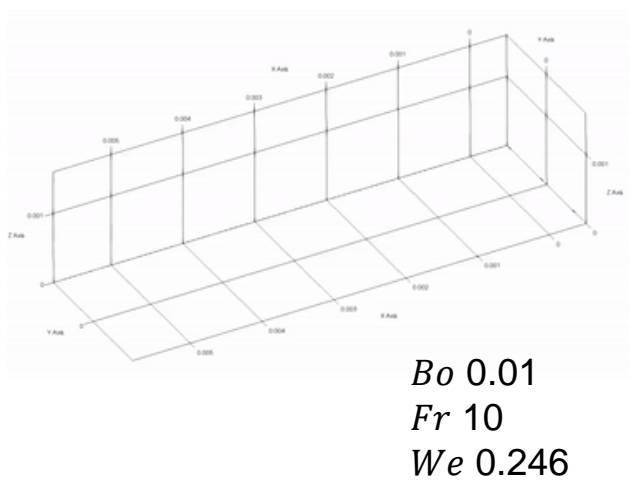
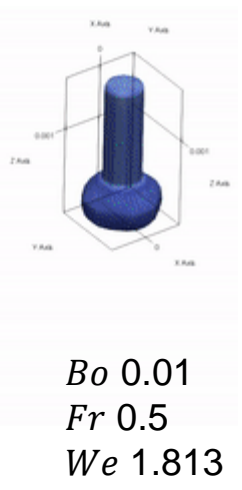
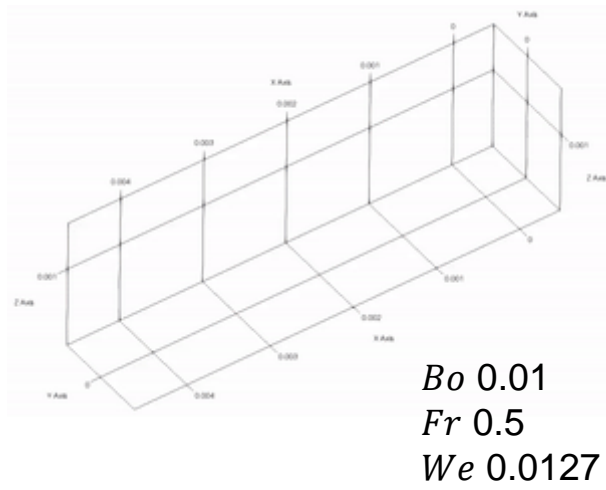
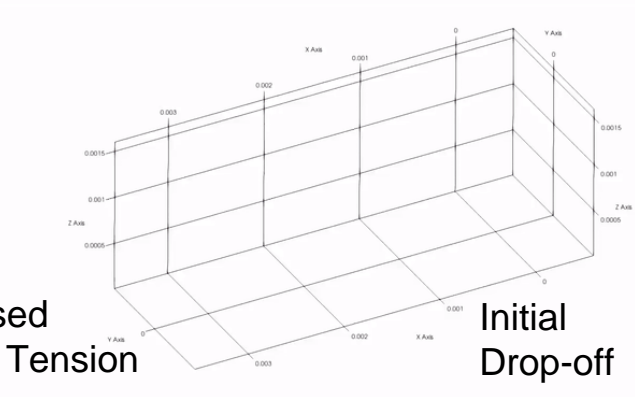
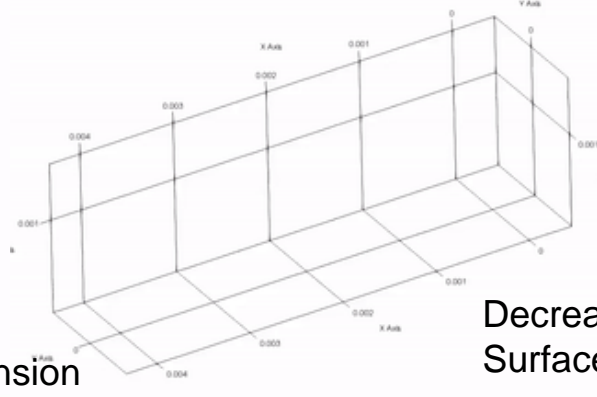
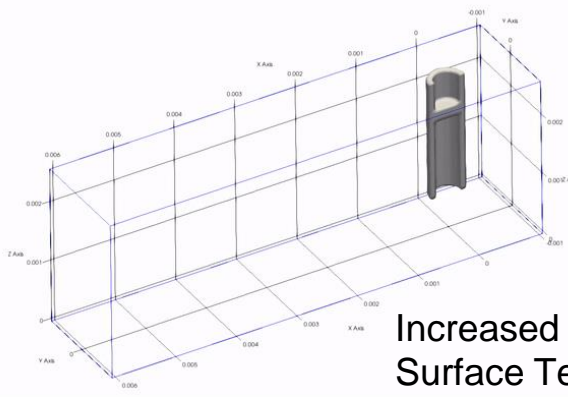
- Pressure ~25 kPa
- Speed 1200 mm/min
- Time 0.1 seconds



Printing water in
microgravity

PROBLEM MOTIVATION

Non-Newtonian Fluid On-Earth v/s Microgravity



NON-NEWTONIAN in MICROGRAVITY

3DPrinting parameters: **Pressure** 25 kPa
Speed 1200 mm/min | **Time** 0.1s

How do we model the **microgravity Fused Deposition Modeling** process?

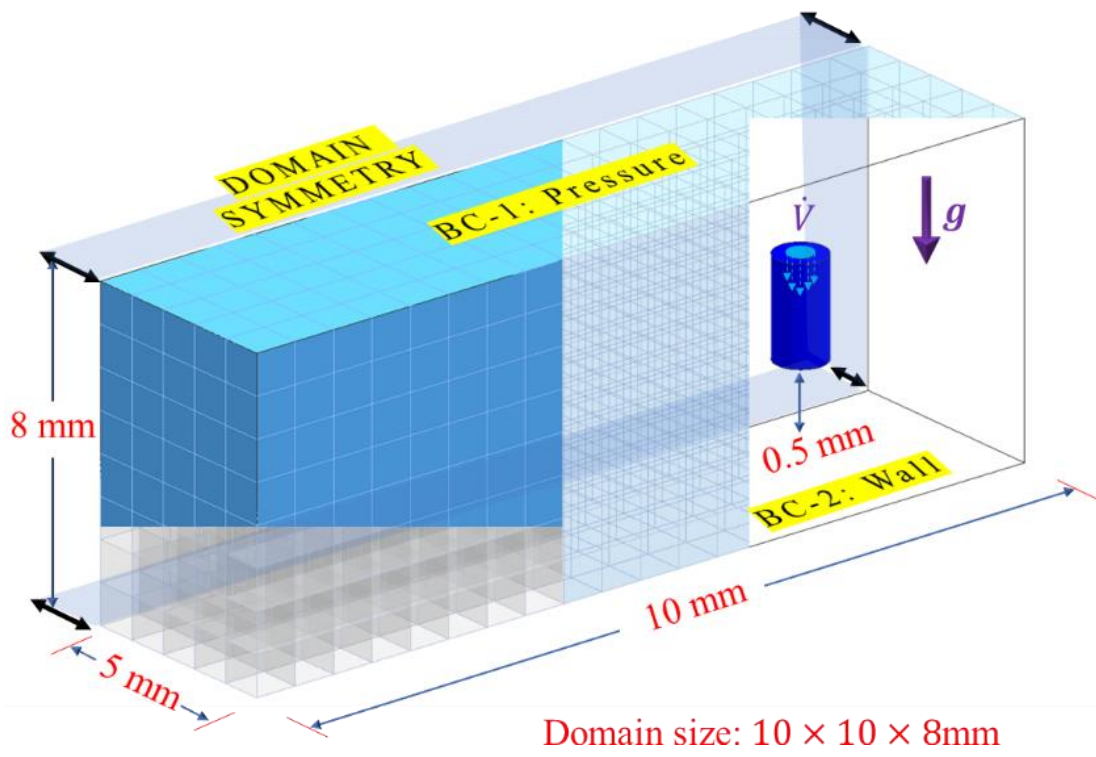
What happens if we print **Poly-Caprolactone (PCL)** powders using the FDM process?

What happens to the **fluid flow** during the printing of PCL non-Newtonian fluids under **microgravity**?

What happens to the **heat transfer** during the printing of PCL non-Newtonian fluids under **microgravity**?

Computational Fluid Dynamics + Volume Of Fluid

CFD-VOF method domain



$$\frac{\partial F}{\partial t} + \nabla \cdot (v F) = 0$$

$$\frac{\partial v}{\partial t} + (v \cdot \nabla) v = -\frac{1}{\rho} \nabla p + \mu \nabla^2 v + g + f$$

$$\rho \frac{Du}{Dt} = -\nabla p + \rho g + \sigma k \nabla \gamma + \mu \nabla^2 u$$

$$(\nabla \cdot v) = 0$$

$$\frac{\partial h}{\partial t} + (v \cdot \nabla) h = -\frac{1}{\rho} \nabla \cdot k \nabla T + \dot{q}$$

$$q_{loss} = C_l(T - T_l) + L_v$$

$$M_{net} = R_{accom} * \sqrt{\frac{M}{2\pi RT_{bdy}}} * (P_l^{sat} - P_v)$$

time-dependent fluid fraction step function F

f is the force source representing surface tension force and the Marangoni force at the meltpool zone

C_l is the specific heat of the fluid,
 T_l is the solidus temperature, and
 L_v is the latent heat of evaporation.

R_{accom} is the accommodation constant,
 M is the molecular weight of the vapor,

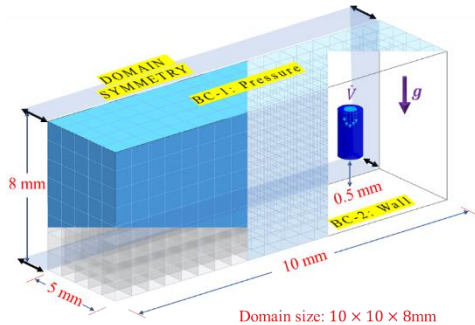
P_v is the vaporization pressure and
 P_l^{sat} is the saturation pressure

σ is the surface tension,
 κ is the curvature,
 n is the surface normal vector,
 ρ is the volume-averaged density,
 g is the acceleration due to gravity,
 μ represents the viscosity,
 h is the enthalpy,
 k is the thermal conductivity, and
 T is the temperature.



CFD-VOF MODELING METHOD

Computational Fluid Dynamics + Volume Of Fluid



The gravity in the model was changed from 9.81 m/s^2 to 0.12 m/s^2 .

The solidus temperature was set at 60°C , and the latent heat of fusion was set at 6000 kJ/Kg .

These two variables were increased by 10% in the microgravity conditions with a hypothesis that the solidification temperature increases with a decrease in gravity.

The thermal properties were kept constant instead of temperature-dependent to study the effect of surface tension, inertia force, viscous force, and gravity forces.

The effect of surface tension was kept constant for both microgravity and on-earth printing conditions.

The reason for this was to use the Bond number as a reference to distinguish between microgravity and on-earth printing.

The Bo for on-earth printing was **6.3** based on the nozzle diameter of $400 \mu\text{m}$, and it is **0.07** for microgravity conditions.

$$\rho \frac{Du}{Dt} = -\nabla p + \rho g + \sigma k \nabla \gamma + \mu \nabla^2 u$$

$$Bo = \frac{\rho g d^2}{\sigma} \quad \text{Bond number}$$

$$Fr = \frac{u}{\sqrt{gd}} \quad \text{Froude number}$$

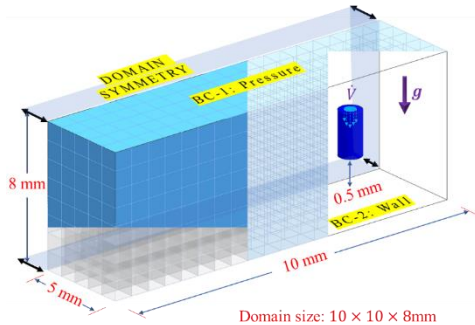
$$We = \frac{\rho u^2 d}{\sigma} \quad \text{Weber number}$$

$$Pe = \frac{\rho c_p v_{max} r_s}{k} \quad \text{Peclet number}$$

$$Ma = -\frac{d\sigma}{dT} \frac{L_s \Delta T}{\mu \alpha} \quad \text{Marangoni number}$$

$$\mu = m(\dot{\gamma})^{n-1} \quad \text{Power Law}$$

Computational Fluid Dynamics + Volume Of Fluid



Viscosity = 24.53 Pa · s

$n = 0.1$

Density = 1124 kg/m³

Surface tension coefficient = 0.07 N/m.

Thermal conductivity = 2 W/m K,

Specific heat = 2000 J/Kg,

Thermal expansion = 5×10^{-5}

Printing speed = 3 mm/min

PCL heating temperature = 180 C

The printing environment = 20.15 C



$$\rho \frac{Du}{Dt} = -\nabla p + \rho g + \sigma k \nabla \gamma + \mu \nabla^2 u$$

$$Bo = \frac{\rho g d^2}{\sigma} \quad \text{Bond number}$$

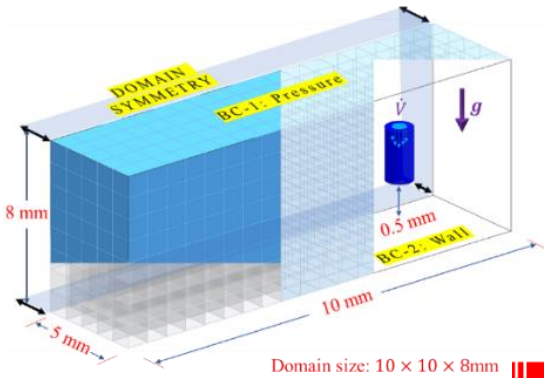
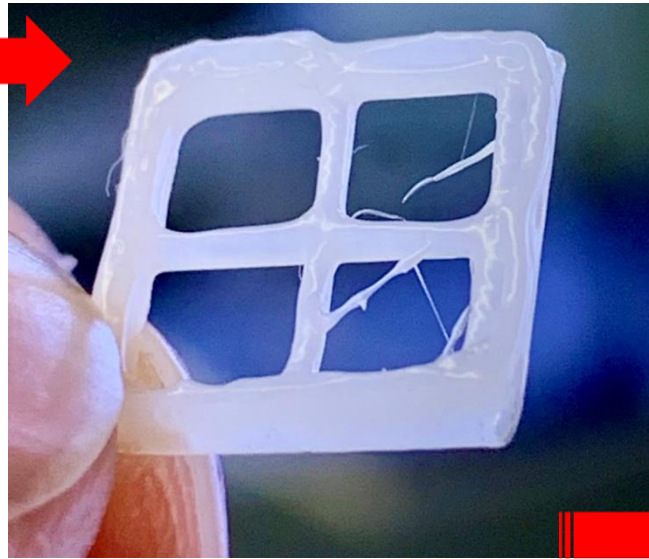
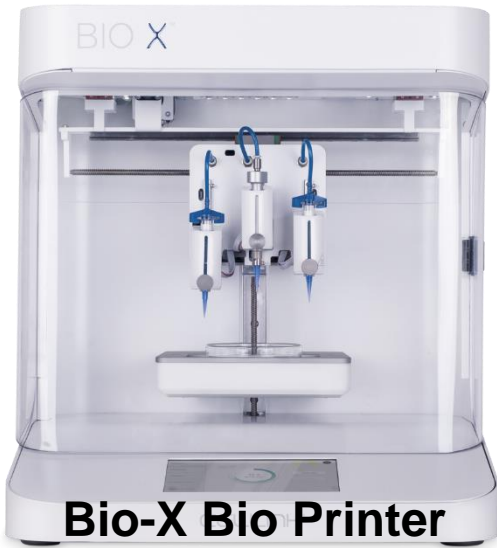
$$Fr = \frac{u}{\sqrt{gd}} \quad \text{Froude number}$$

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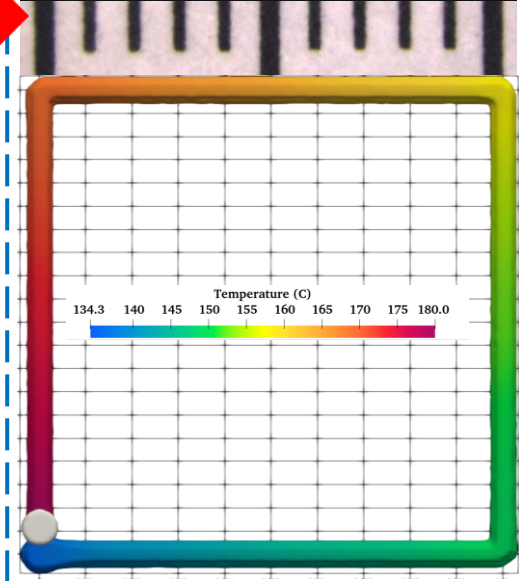
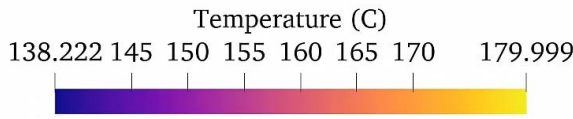
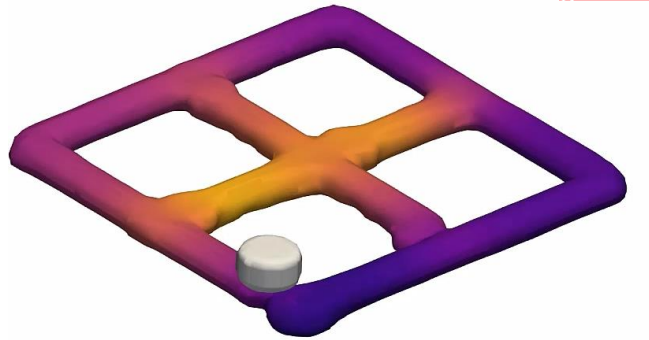
$$Pe = \frac{\rho c_p v_{max} r_s}{k} \quad \text{Peclet number}$$

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$$\mu = m(\dot{\gamma})^{n-1} \quad \text{Power Law}$$

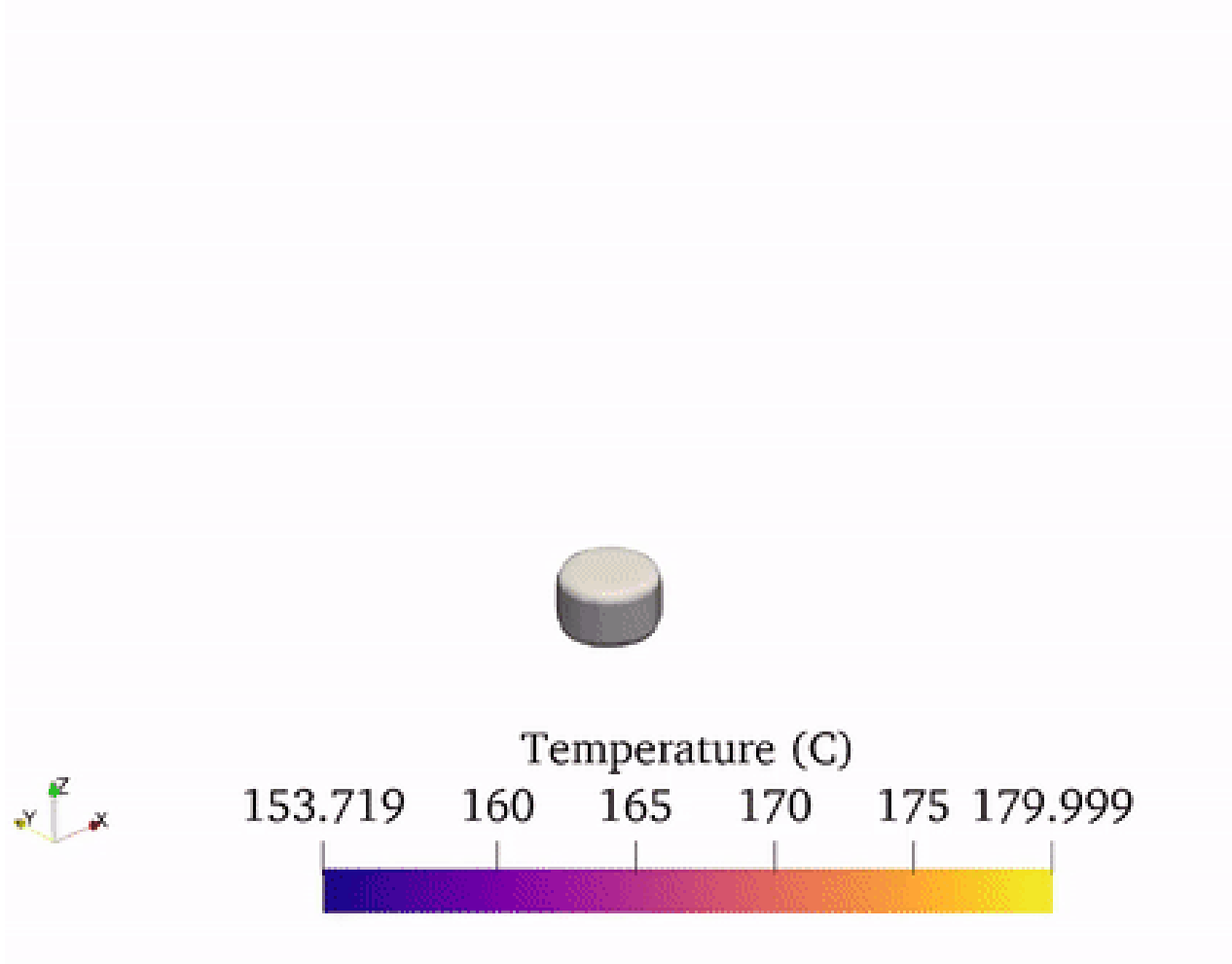


CFD-VOF



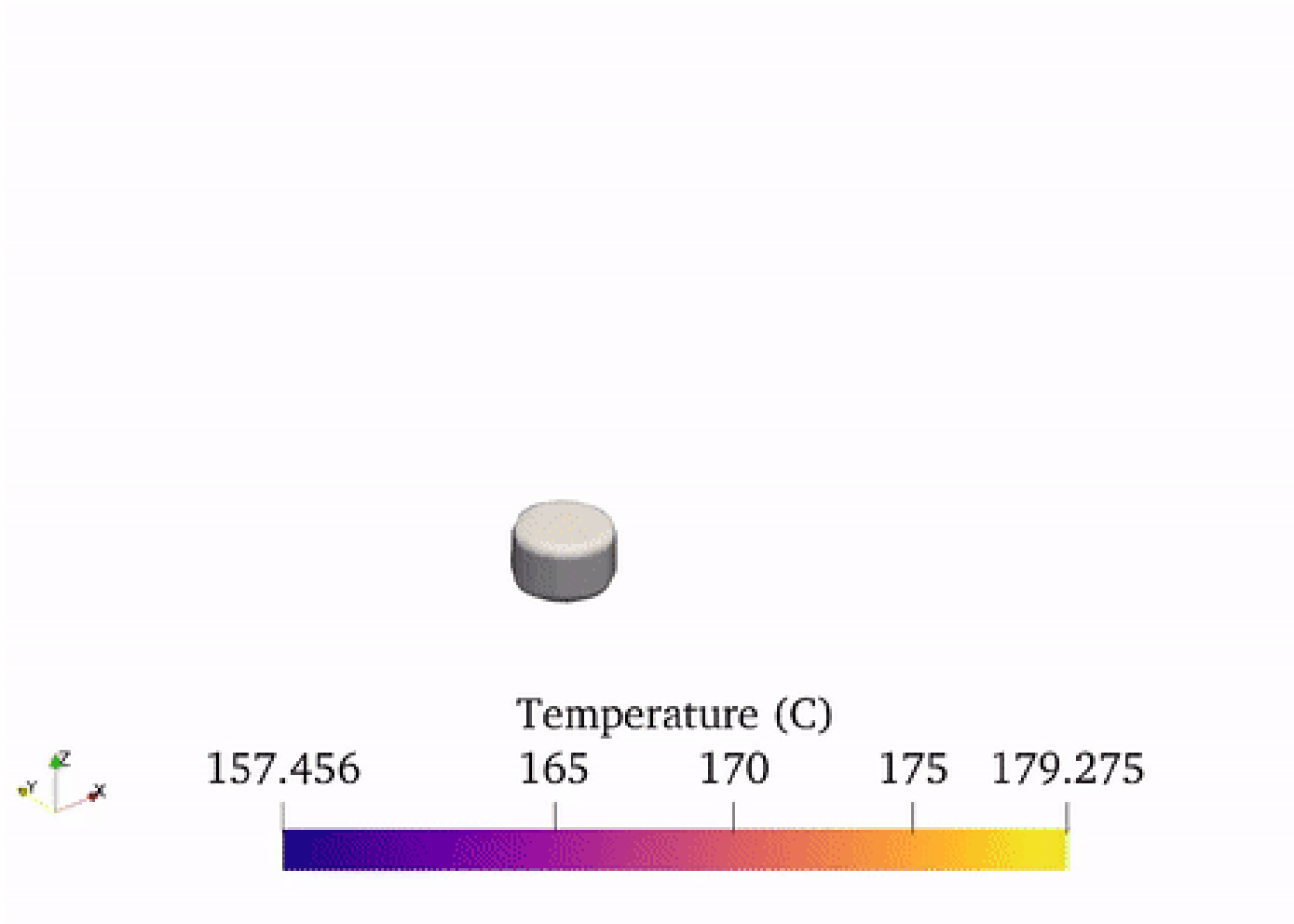
RESULTS

PCL multi-layer grid structure 3D Bio Printing On-Earth

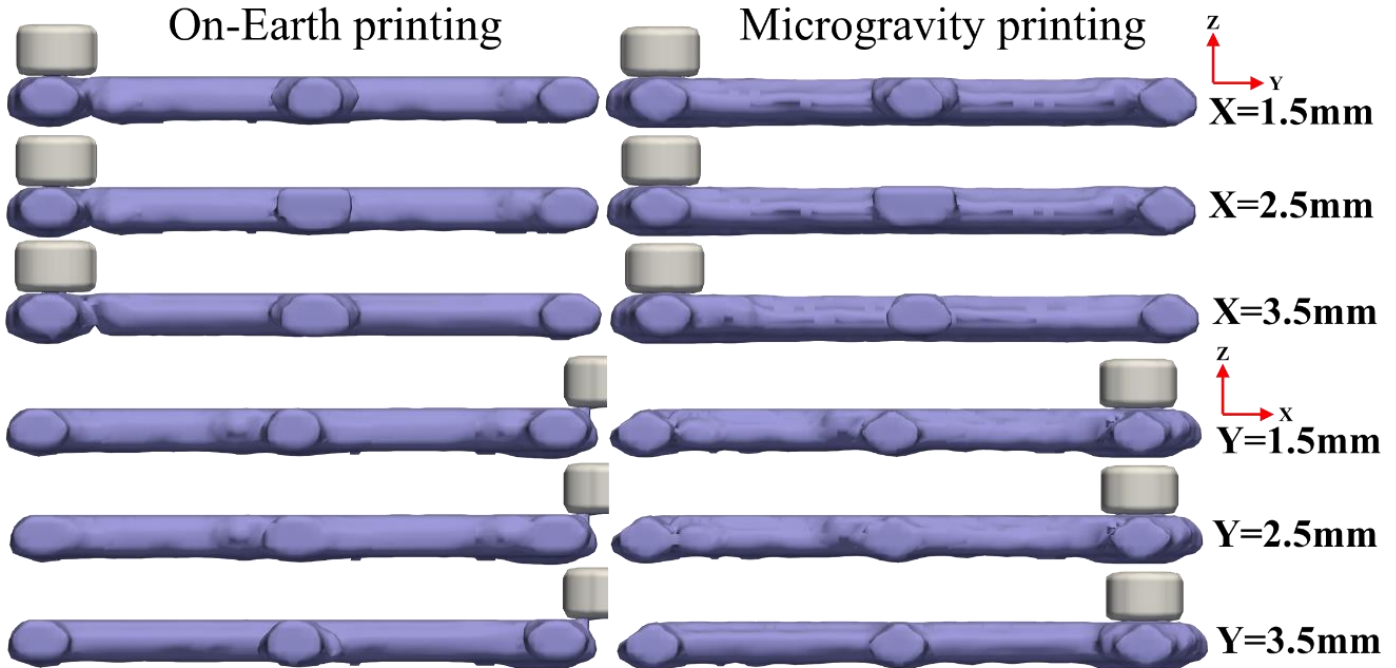
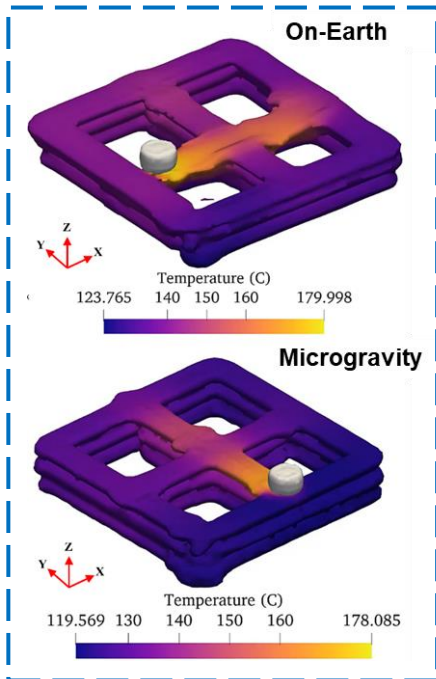


RESULTS

PCL multi-layer grid structure 3D Bio Printing under Microgravity

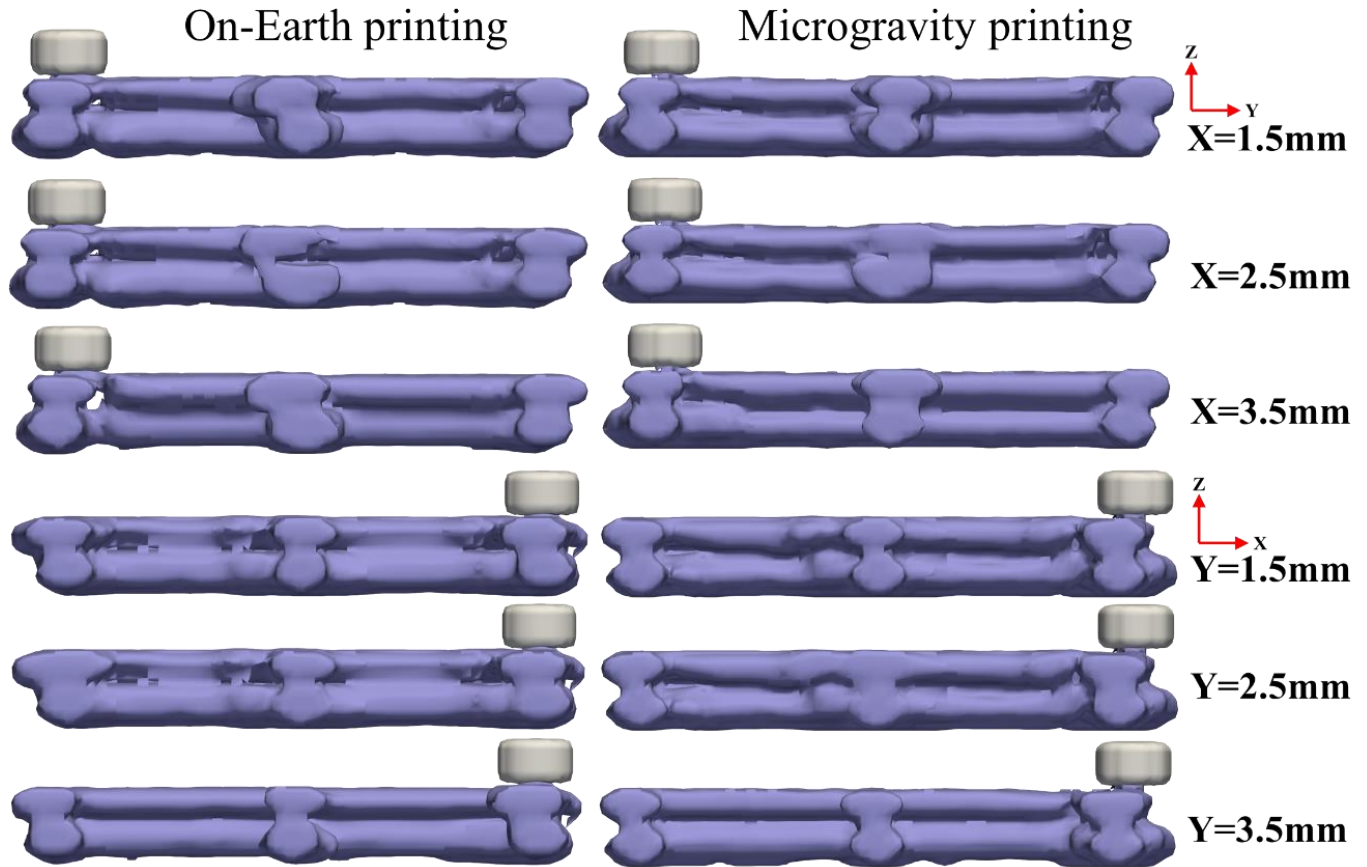
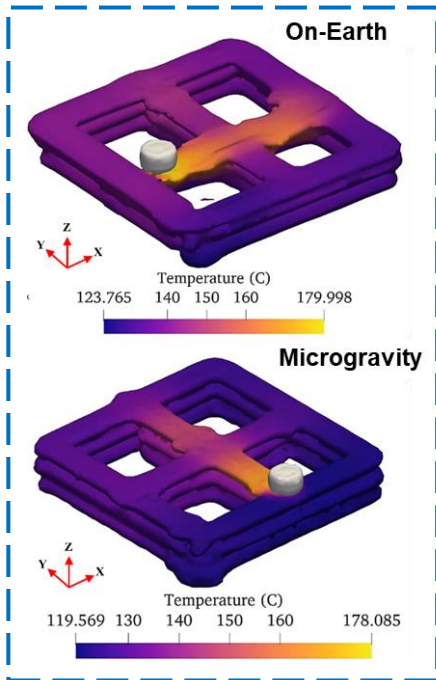


On-Earth v/s Microgravity AFTER FIRST-LAYER PCL PRINTING

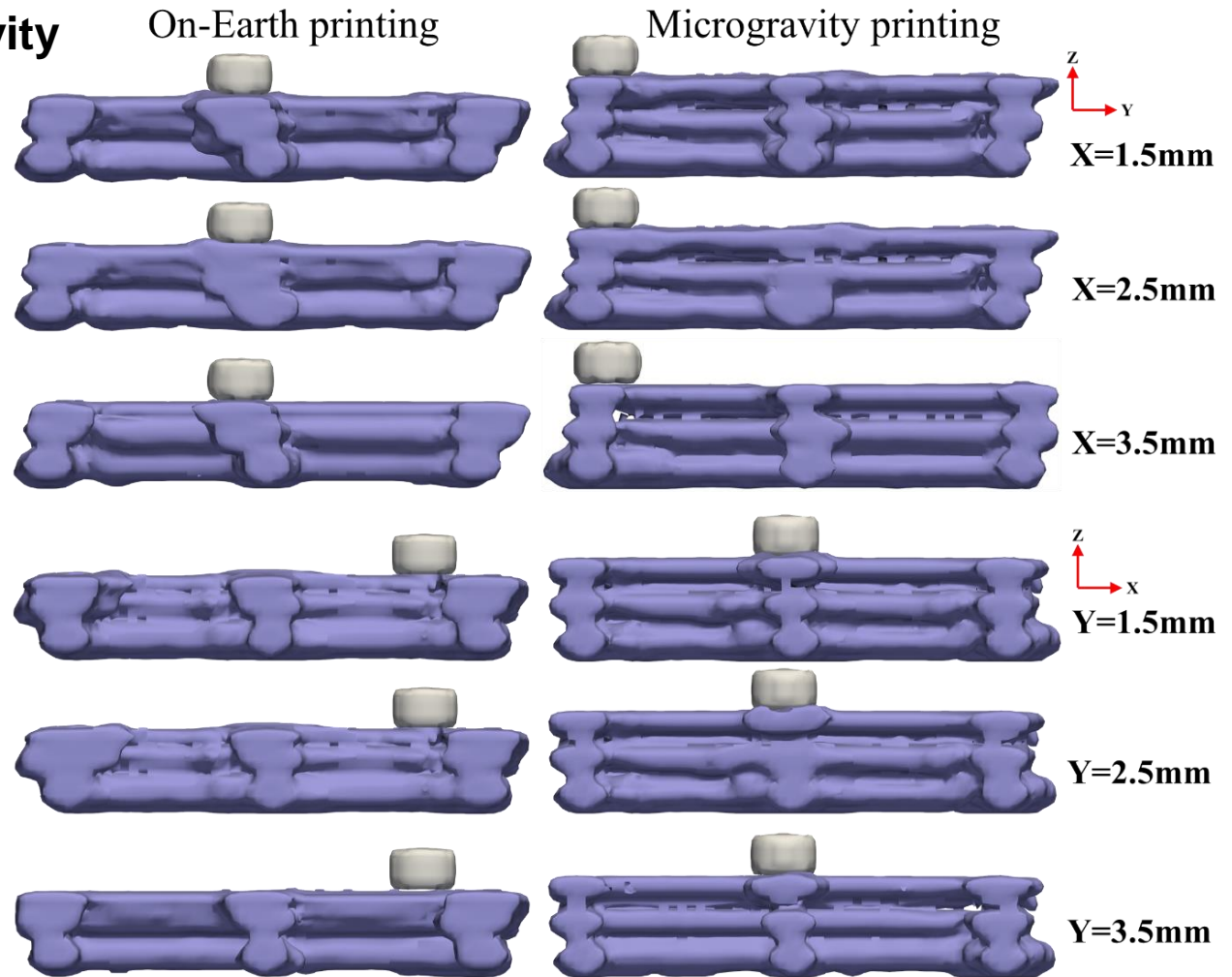
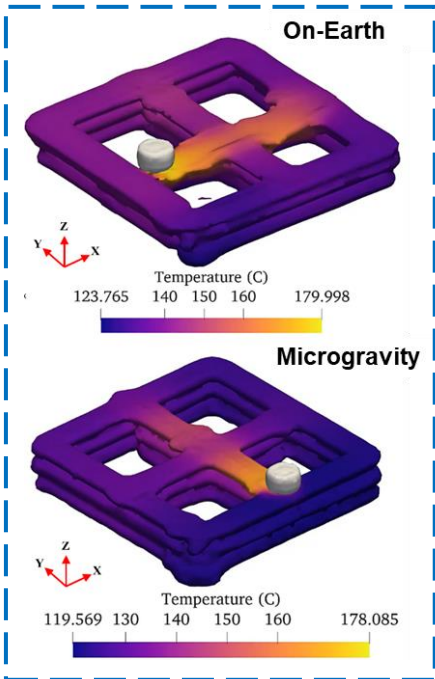


On-Earth v/s Microgravity

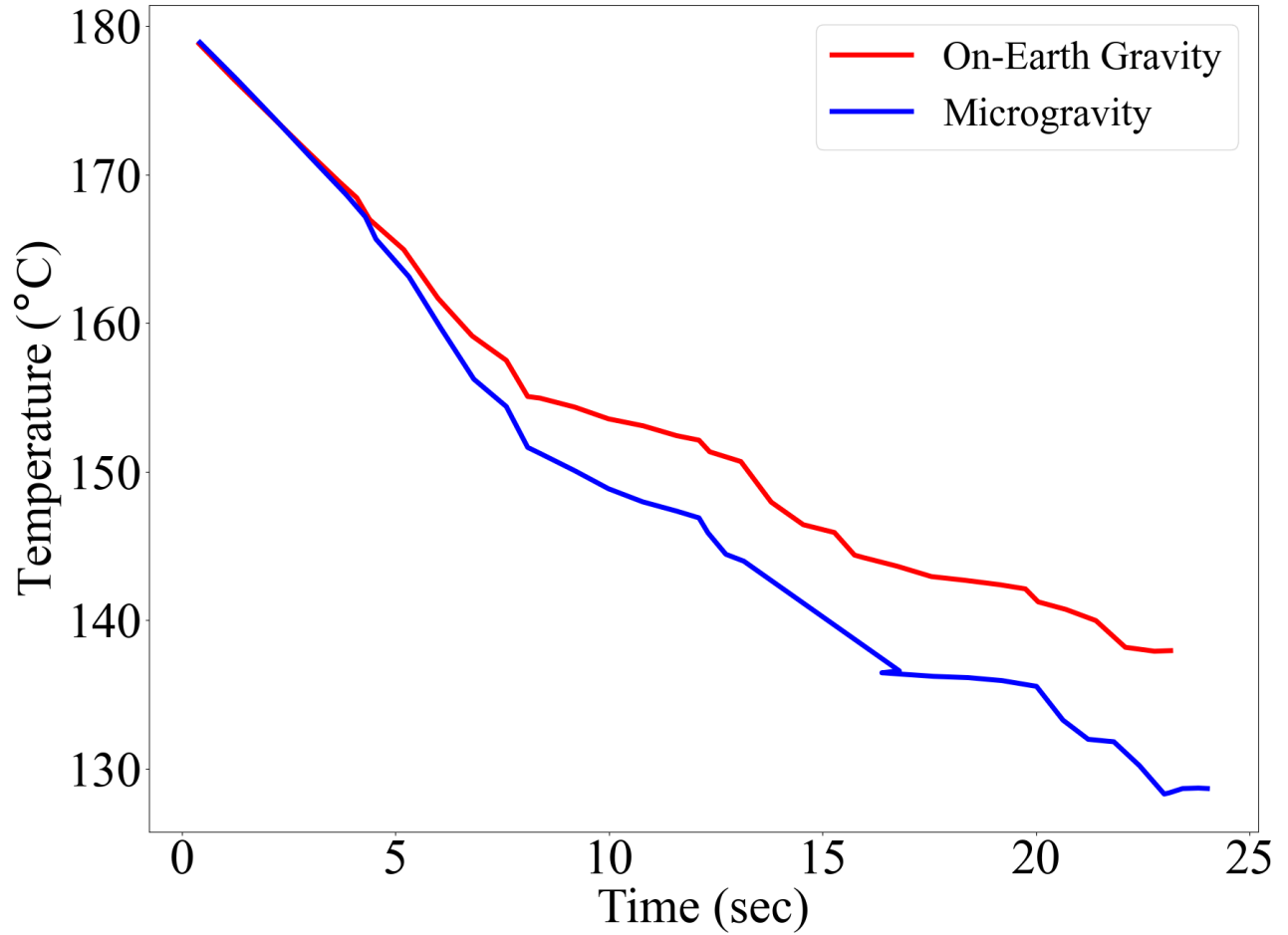
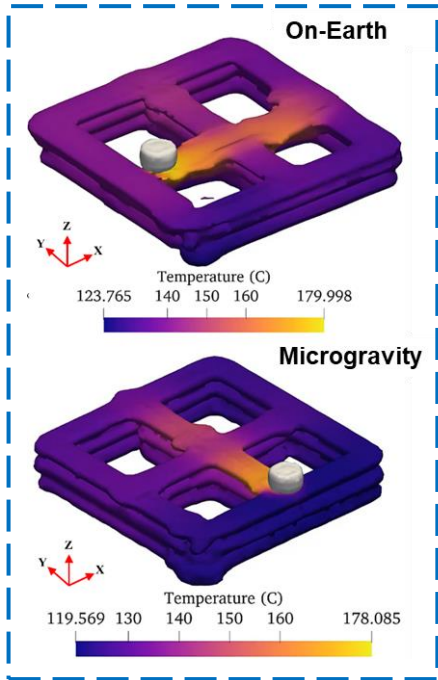
AFTER SECOND-LAYER PCL PRINTING



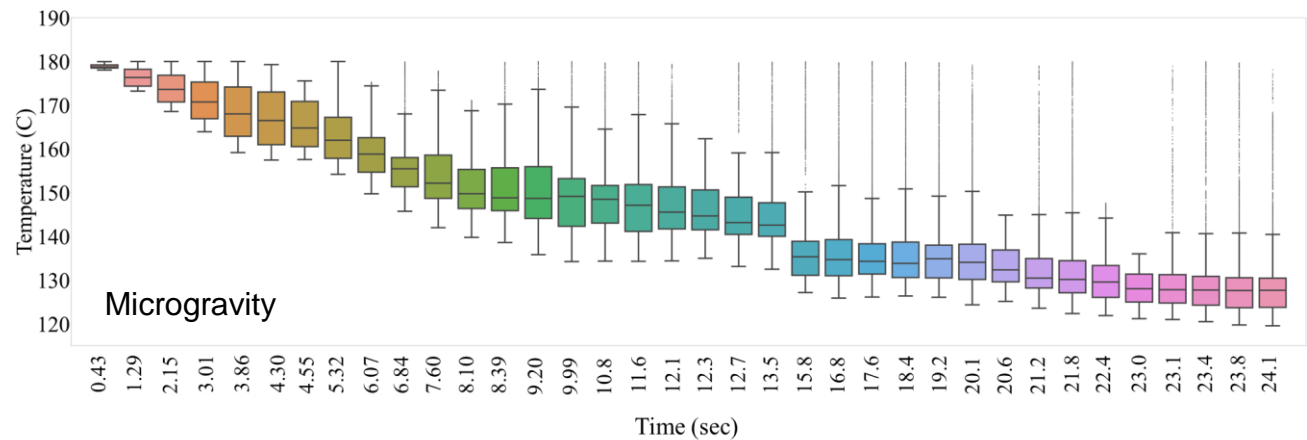
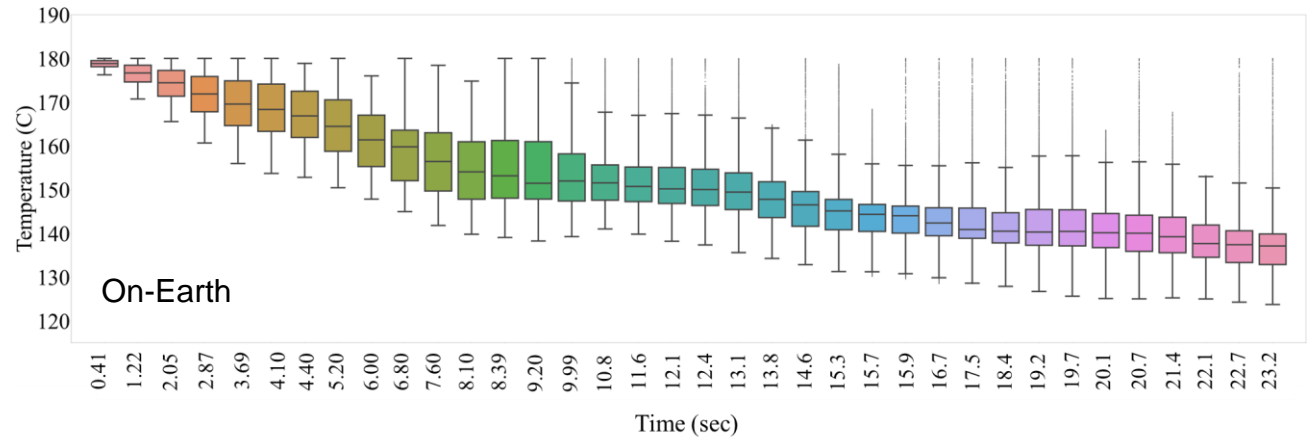
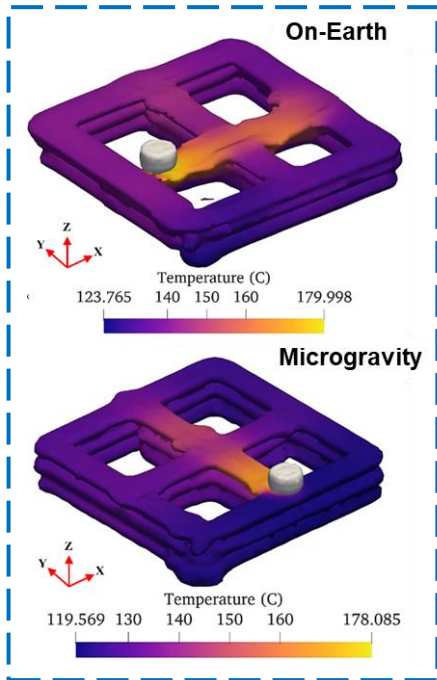
On-Earth v/s Microgravity AFTER THIRD-LAYER PCL PRINTING



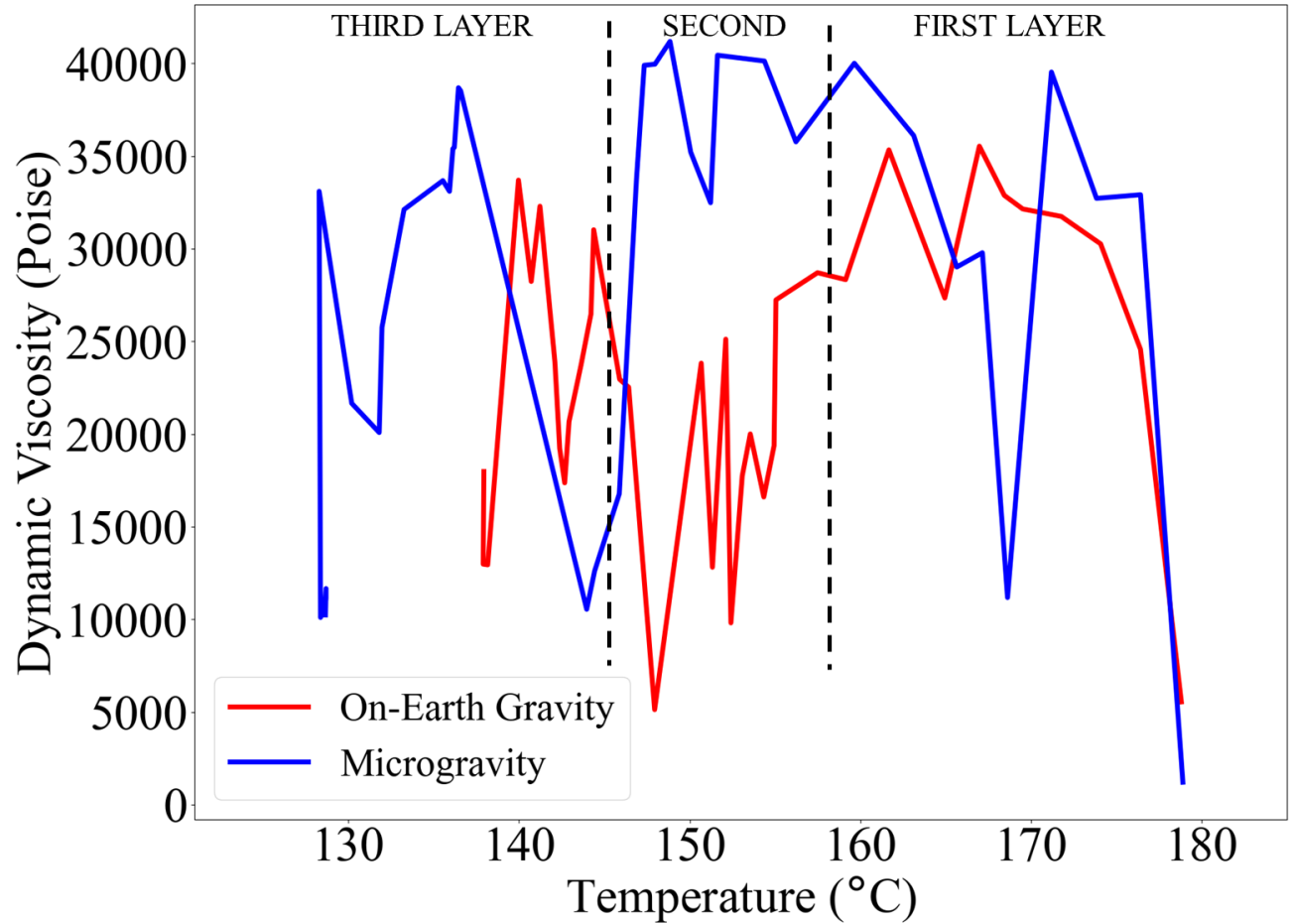
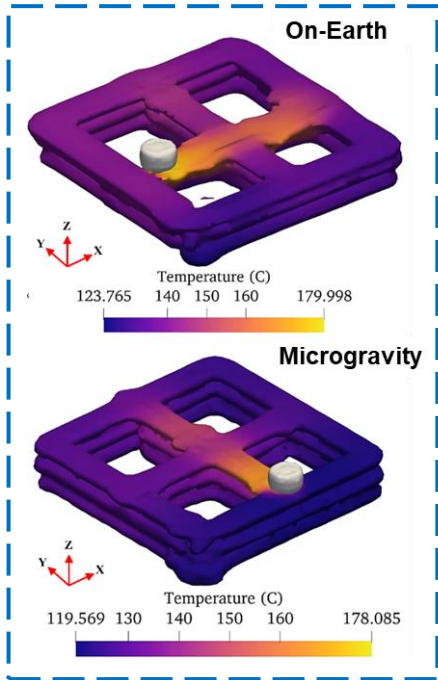
On-Earth v/s Microgravity PCL Printing



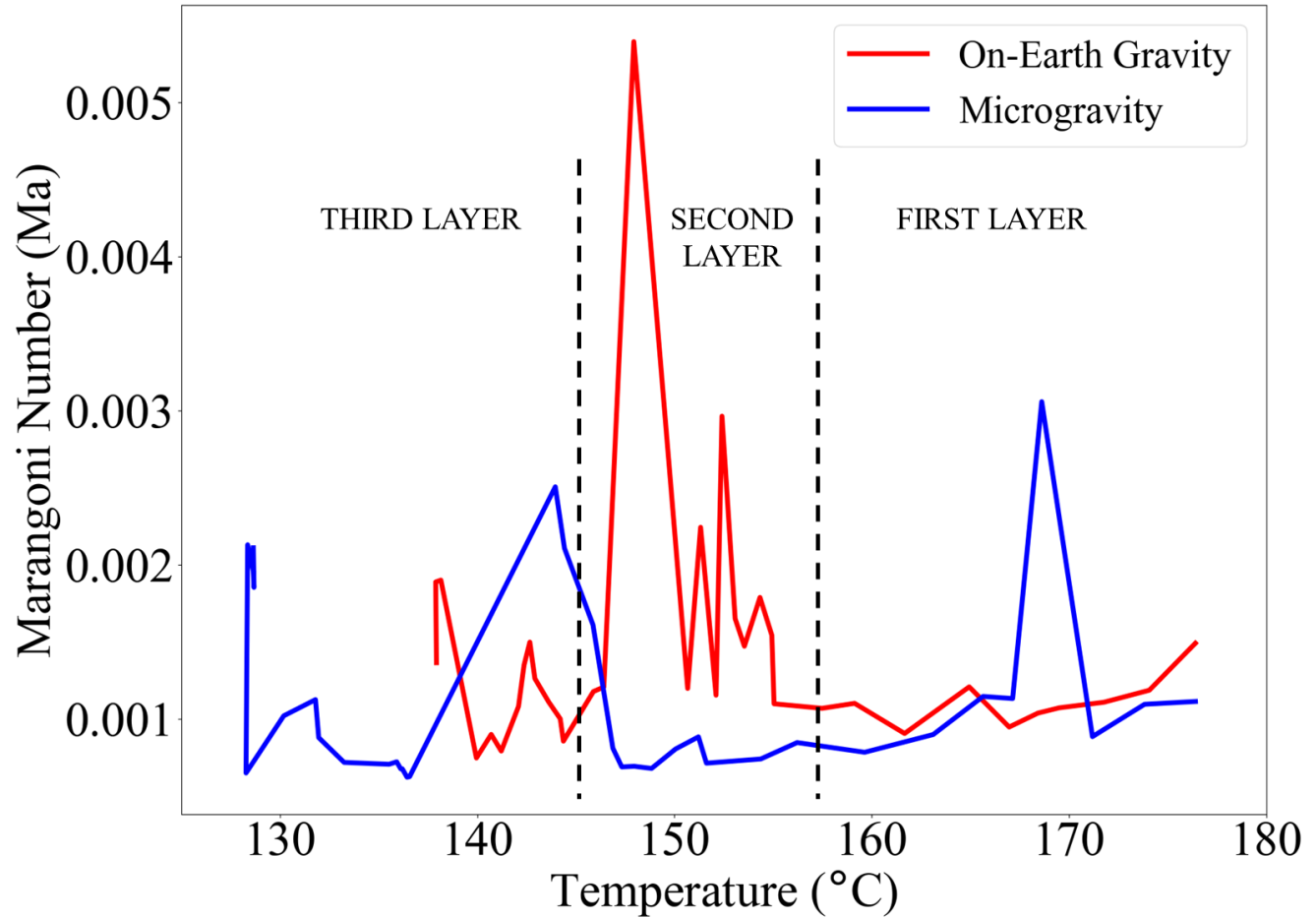
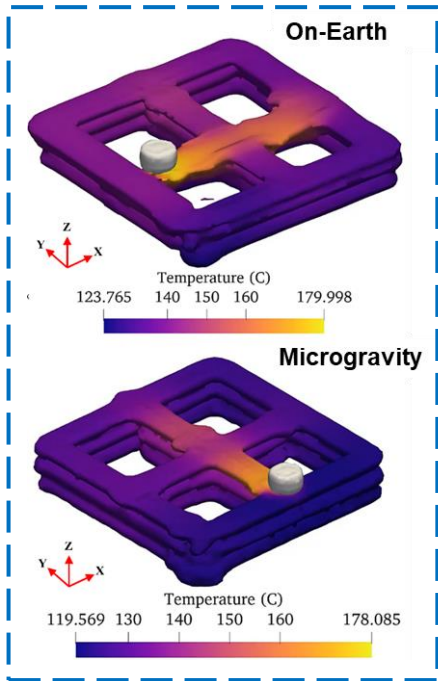
On-Earth v/s Microgravity PCL Printing



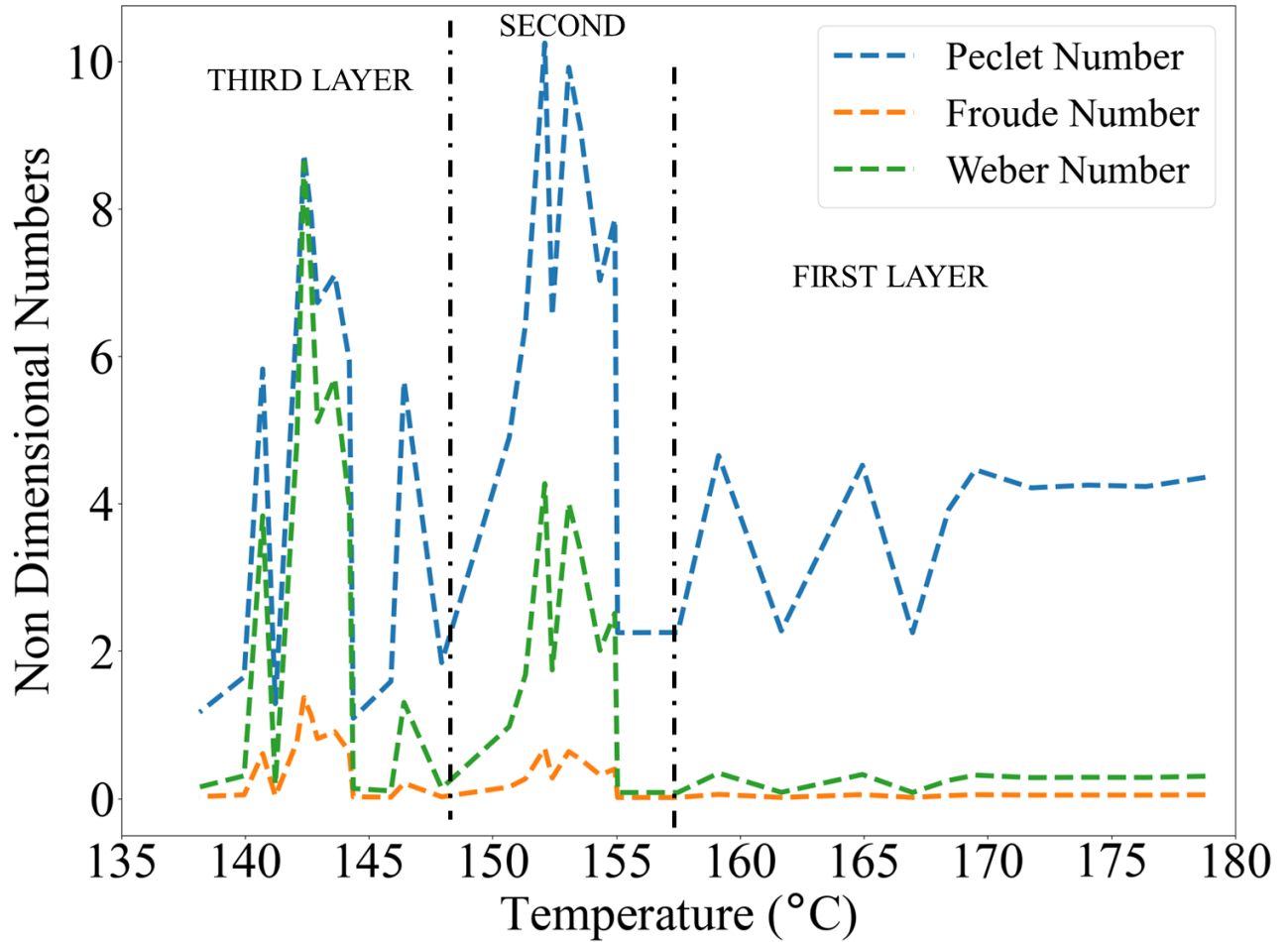
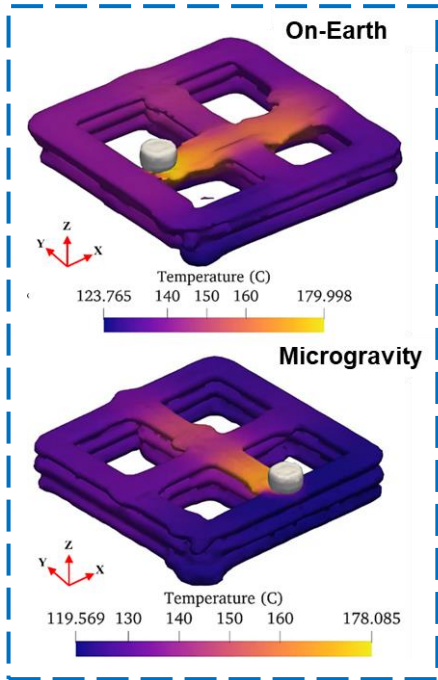
On-Earth v/s Microgravity PCL Printing



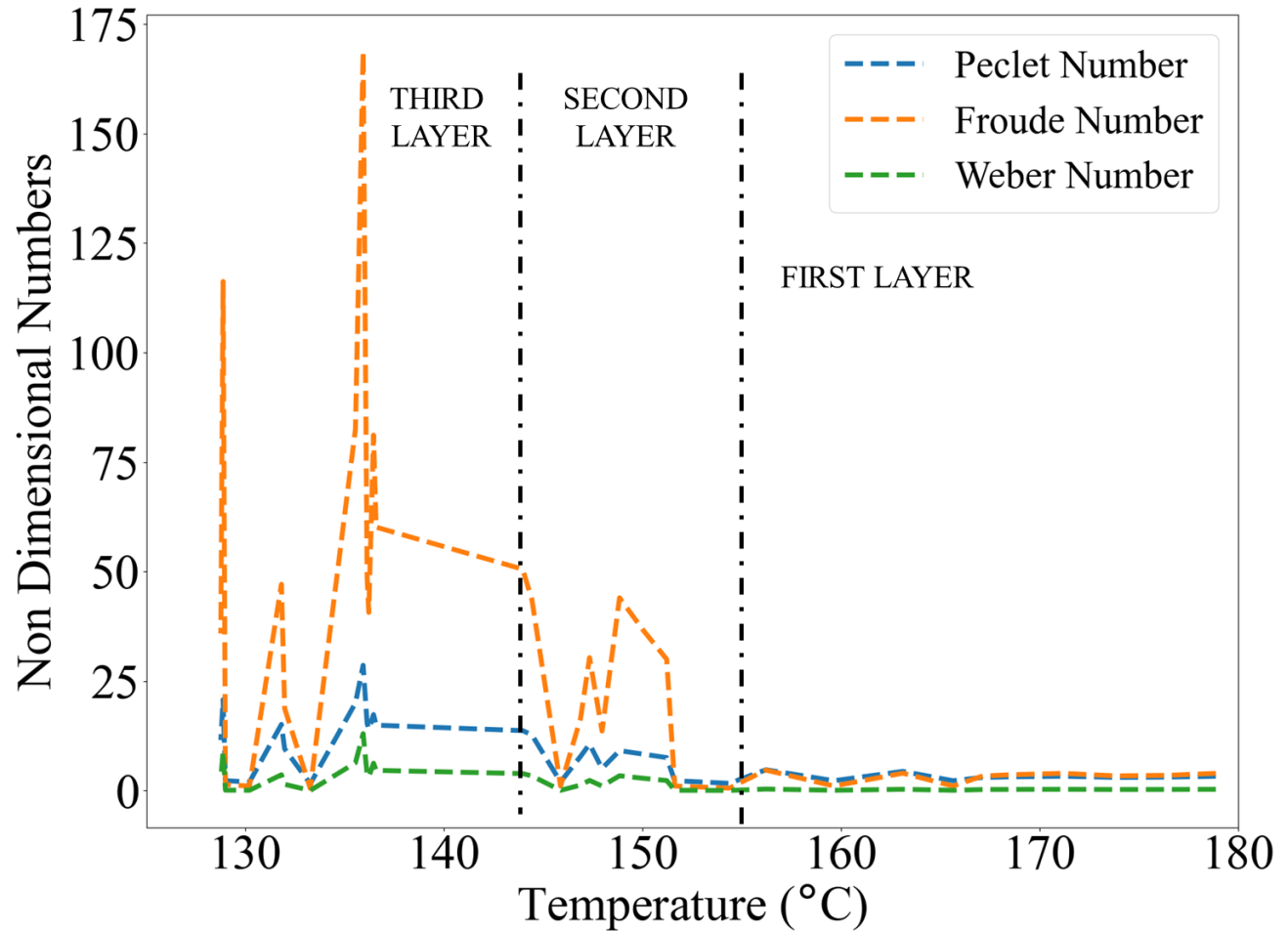
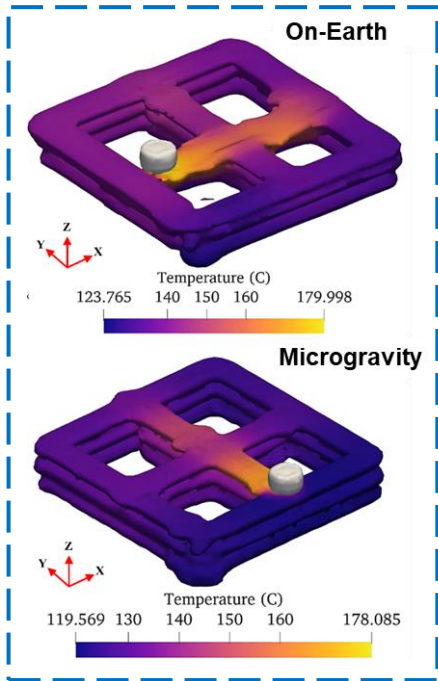
On-Earth v/s Microgravity PCL Printing



On-Earth PCL Printing



Microgravity PCL Printing



ON-EARTH V/S MICROGRAVITY

Effectively used **on-earth-based modeling** considerations to predict the microgravity conditions for extrusion bioprinting of highly viscous fluids like PCL polymers.

The model is **versatile** enough to expand to **multi-layer** and **multi-track** simulations and compelling enough to study the influence of four different forces such as **gravity/buoyancy force, inertia force, viscous force, and surface tension** on the printing process.

The **shape** of the PCL cross-section **on-earth** conditions varies between **oval** and **elliptical** whereas it varies between **Rhombus** and **oval** under **microgravity**.

Under **microgravity** conditions, the **shape** and **size** of the printed layers at their desired design were better **maintained** compared to on-earth conditions.

Under **microgravity**, **uniformity** of the **shape** and increase in the **size** of printed layers are **independent** of the process parameters and can be utilized for regenerative medicines applications.

The **highly viscous fluids** that are **more favorable** materials for extrusion bioprinting in Space **microgravity** conditions can be effectively modeled and studied using CFD modeling.

Thank You



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LINKEDIN

<<< ANY QUESTIONS? >>>